Yong Wei

List of Publications by Year in descending order

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687363 794594 28 389 13 19 citations h-index g-index papers 29 29 29 108 docs citations all docs times ranked citing authors

#	Article	IF	CITATIONS
1	Locally constrained curvature flows and geometric inequalities in hyperbolic space. Mathematische Annalen, 2022, 382, 1425-1474.	1.4	25
2	On an inverse curvature flow in two-dimensional space forms. Mathematische Annalen, 2022, 384, 1-24.	1.4	3
3	A fully nonlinear locally constrained anisotropic curvature flow. Nonlinear Analysis: Theory, Methods & Applications, 2022, 217, 112760.	1.1	3
4	A volume-preserving anisotropic mean curvature type flow. Indiana University Mathematics Journal, 2021, 70, 881-906.	0.9	4
5	Inverse Curvature Flows of Rotation Hypersurfaces. Acta Mathematica Sinica, English Series, 2021, 37, 1692-1708.	0.6	3
6	Contraction of surfaces in hyperbolic space and in sphere. Calculus of Variations and Partial Differential Equations, 2020, 59, 1.	1.7	2
7	Laplacian Flow for Closed $\$$ mathrm $\{G\}_2$ \$\$ Structures. Fields Institute Communications, 2020, , 253-269.	1.3	O
8	New Pinching Estimates for Inverse Curvature Flows in Space Forms. Journal of Geometric Analysis, 2019, 29, 1555-1570.	1.0	15
9	Stability of torsion-free \frac{G}_2 structures along the Laplacian flow. Journal of Differential Geometry, 2019, 111, .	1.1	17
10	Surfaces expanding by non-concave curvature functions. Annals of Global Analysis and Geometry, 2019, 55, 243-279.	0.6	11
11	Laplacian flow for closed \$mathrm{G}_2\$ structures: real analyticity. Communications in Analysis and Geometry, 2019, 27, 73-109.	0.4	15
12	On the Minkowski-type inequality for outward minimizing hypersurfaces in Schwarzschild space. Calculus of Variations and Partial Differential Equations, 2018, 57, 1.	1.7	10
13	Quermassintegral preserving curvature flow in Hyperbolic space. Geometric and Functional Analysis, 2018, 28, 1183-1208.	1.8	22
14	On inverse mean curvature flow in Schwarzschild space and Kottler space. Calculus of Variations and Partial Differential Equations, 2017, 56, 1.	1.7	15
15	Smooth compactness of \$f\$-minimal hypersurfaces with bounded \$f\$-index. Proceedings of the American Mathematical Society, 2017, 145, 4945-4961.	0.8	3
16	Laplacian flow for closed G2 structures: Shi-type estimates, uniqueness and compactness. Geometric and Functional Analysis, 2017, 27, 165-233.	1.8	43
17	On Lower Volume Growth Estimate for f-Minimal Submanifolds in Gradient Shrinking Soliton. International Mathematics Research Notices, 2016, , rnw100.	1.0	1
18	A Compactness Theorem of the Space of Free Boundary f-Minimal Surfaces in Three-Dimensional Smooth Metric Measure Space with Boundary. Journal of Geometric Analysis, 2016, 26, 1995-2012.	1.0	4

#	ARTICLE	IF	CITATION
19	The length of the shortest closed geodesic in a closed Riemannian \$3\$-manifold with nonnegative Ricci curvature. Proceedings of the American Mathematical Society, 2016, 144, 4001-4007.	0.8	0
20	Inequalities of Alexandrov–Fenchel type for convex hypersurfaces in hyperbolic space and in the sphere. Pacific Journal of Mathematics, 2015, 277, 219-239.	0.5	20
21	f-Minimal Surface and Manifold with Positive m-Bakry–Émery Ricci Curvature. Journal of Geometric Analysis, 2015, 25, 421-435.	1.0	36
22	Lower volume growth estimates for self-shrinkers of mean curvature flow. Proceedings of the American Mathematical Society, 2014, 142, 3237-3248.	0.8	15
23	A note on Weingarten hypersurfaces in the warped product manifold. International Journal of Mathematics, 2014, 25, 1450121.	0.5	5
24	The Gauss–Bonnet–Chern mass for graphic manifolds. Annals of Global Analysis and Geometry, 2014, 45, 251-266.	0.6	9
25	Classification and rigidity of self-shrinkers in the mean curvature flow. Journal of the Mathematical Society of Japan, 2014, 66, .	0.4	26
26	A geometric inequality on hypersurface in hyperbolic space. Advances in Mathematics, 2014, 253, 152-162.	1.1	33
27	$\mathcal{F}\$ -stability for self-shrinking solutions to mean curvature flow. Asian Journal of Mathematics, 2014, 18, 757-778.	0.3	13
28	The classification of \$\$(m, ho)\$\$ -quasi-Einstein manifolds. Annals of Global Analysis and Geometry, 2013, 44, 269-282	0.6	35