Cristina SantamarÃ-a Navarro

List of Publications by Year in descending order

Source: https://exaly.com/author-pdf/6283200/publications.pdf

Version: 2024-02-01

1307594 1372567 23 110 10 7 citations g-index h-index papers 25 25 25 110 docs citations times ranked citing authors all docs

#	Article	IF	CITATIONS
1	Modelling Biological Systems: A New Algorithm for the Inference of Boolean Networks. Mathematics, 2021, 9, 373.	2.2	0
2	A Phase-Type Distribution for the Sum of Two Concatenated Markov Processes Application to the Analysis Survival in Bladder Cancer. Mathematics, 2020, 8, 2099.	2.2	0
3	Markovian modeling for dependent interrecurrence times in bladder cancer. Mathematical Methods in the Applied Sciences, 2020, 43, 8302-8310.	2.3	1
4	Proposed Occupational Vulnerability Index COVID-19. Occupational Diseases and Environmental Medicine, 2020, 08, 175-187.	0.3	3
5	Modeling dependence in the inter-failure times. An analysis in Reliability models by Markovian Arrival Processes. Journal of Computational and Applied Mathematics, 2018, 343, 762-770.	2.0	4
6	Efficacy and satisfaction with transcutaneous electrostimulation of the posterior tibial nerve in overactive bladder syndrome. Journal of Clinical Urology, 2018, 11, 331-338.	0.1	2
7	Bayesian prediction for flowgraph models with covariates. An application to bladder carcinoma. Journal of Computational and Applied Mathematics, 2016, 291, 85-93.	2.0	4
8	Modelling the failure risk for water supply networks with interval-censored data. Reliability Engineering and System Safety, 2015, 144, 311-318.	8.9	14
9	Computing survival functions of the sum of two independent Markov processes: an application to bladder carcinoma treatment. International Journal of Computer Mathematics, 2014, 91, 209-220.	1.8	7
10	Cálculo del riesgo biológico de multirrecidiva y progresión del carcinoma urotelial no músculo-invasivo mediante nuevos modelos matemA¡ticos. Actas Urológicas Españolas, 2014, 38, 647-654.	0.7	4
11	A flowgraph model for bladder carcinoma. Theoretical Biology and Medical Modelling, 2014, 11, S3.	2.1	8
12	The influence of geographical concentration and structural characteristics on the survival chance of textile firms. Journal of Fashion Marketing and Management, 2013, 17, 6-19.	2.2	12
13	1678 HOW TO MANAGEMENT PREMATURE EJACULATION UROLOGY RESIDENTS? AN EUROPEAN SURVEY. Journal of Urology, 2011, 185, .	0.4	0
14	An analysis of the recurrence–progression process in bladder carcinoma by means of joint frailty models. Mathematical and Computer Modelling, 2011, 54, 1671-1675.	2.0	1
15	Solving random diffusion models with nonlinear perturbations by the Wiener–Hermite expansion method. Computers and Mathematics With Applications, 2011, 61, 1946-1950.	2.7	11
16	ValidaciÃ ³ n prospectiva de un nomograma predictivo de la presencia de cÃ;ncer de prÃ ³ stata en pacientes que se someten a biopsia transrectal ecodirigida de 10 cilindros. Actas UrolÃ ³ gicas Españolas, 2010, 34, 35-42.	0.7	3
17	Modeling bladder cancer using a Markov process with multiple absorbing states. Mathematical and Computer Modelling, 2010, 52, 977-982.	2.0	8
18	A Markov model for analyzing the evolution of bladder carcinoma. Mathematical and Computer Modelling, 2009, 50, 726-732.	2.0	5

#	Article	IF	CITATIONS
19	Modelling the Recurrence of Bladder Cancer. Acta Applicandae Mathematicae, 2008, 104, 91-105.	1.0	2
20	Modeling the recurrence–progression process in bladder carcinoma. Computers and Mathematics With Applications, 2008, 56, 619-630.	2.7	7
21	A Mathematical Model for Prediction of Recurrence in Bladder Cancer Patients. Mathematics in Industry, 2008, , 868-872.	0.3	O
22	A predictive mathematical model in the recurrence of bladder cancer. Mathematical and Computer Modelling, 2005, 42, 621-634.	2.0	6
23	Numerical solution ofmatrix differential models using cubic matrix splines. Computers and Mathematics With Applications, 2005, 50, 693-699.	2.7	8