## Samuel Burer

## List of Publications by Year

 in descending orderSource: https:|/exaly.com/author-pdf/424273/publications.pdf
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Convex hull representations for bounded products of variables. Journal of Clobal Optimization, 2021,
80,757 .

Quadratic optimization with switching variables: the convex hull for $\$ \$ n=2 \$ \$$. Mathematical Programming, 2021, 188, 421-441.

Exact semidefinite formulations for a class of (random and non-random) nonconvex quadratic
programs. Mathematical Programming, 2020, 181, 1-17.

4 Three methods for robust grading. European Journal of Operational Research, 2019, 272, 364-371.
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5 A data-driven distributionally robust bound on the expected optimal value of uncertain mixed 0-1
linear programming. Computational Management Science, 2018, 15, 111-134.
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A copositive approach for two-stage adjustable robust optimization with uncertain right-hand sides.
Computational Optimization and Applications, 2018, 70, 33-59.
$7 \quad$ Quadratic programs with hollows. Mathematical Programming, 2018, 170, 541-553.
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8 How to convexify the intersection of a second order cone and a nonconvex quadratic. Mathematical
Programming, 2017, 162, 393-429.
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Robust sensitivity analysis of the optimal value of linear programming. Optimization Methods and
9 Software, 2017, 32, 1187-1205.

10 A branch-and-bound algorithm for instrumental variable quantile regression. Mathematical
Programming Computation, 2017, 9, 471-497.
11 Nearly-efficient tuitions and subsidies in American public higher education. Economics of Education
Review, 2016, 55, 182-197.

A Two-Variable Approach to the Two-Trust-Region Subproblem. SIAM Journal on Optimization, 2016, 26, 661-680.
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A gentle, geometric introduction to copositive optimization. Mathematical Programming, 2015, 151,
89-116.
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The trust region subproblem with non-intersecting linear constraints. Mathematical Programming,
2015, 149, 253-264.
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Unbounded convex sets for non-convex mixed-integer quadratic programming. Mathematical Programming, 2014, 143, 231-256.

Faster, but weaker, relaxations for quadratically constrained quadratic programs. Computational Optimization and Applications, 2014, 59, 27-45.
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17 Separation and relaxation for cones of quadratic forms. Mathematical Programming, 2013, 137, 343-370. 10
Non-convex mixed-integer nonlinear programming: A survey. Surveys in Operations Research anc
Management Science, 2012, 17, 97-106.
21 Newsvendor games: convex optimization of centralized inventory operations. Top, 2012, 20, 707-728. 3

22 Representing quadratically constrained quadratic programs as generalized copositive programs.
Globally solving nonconvex quadratic programming problems via completely positive programming.

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24 The MILP Road to MIQCP. The IMA Volumes in Mathematics and Its Applications, 2012, , 373-405.
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25 A semidefinite programming approach to the hypergraph minimum bisection problem. Optimization,
2011, 60, 413-427.
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Relaxing the optimality conditions of box QP. Computational Optimization and Applications, 2011, 48,
653-673.
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Computable representations for convex hulls of low-dimensional quadratic forms. Mathematical
$27 \quad \begin{aligned} & \text { Computable representations for } \\ & \text { Programming, 2010, 124, 33-43. }\end{aligned}$
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Optimizing a polyhedral-semidefinite relaxation of completely positive programs. Mathematical
Programming Computation, 2010, 2, 1-19.
29 On Nonconvex Quadratic Programming with Box Constraints. SIAM Journal on Optimization, 2009, 20,
1073-1089.
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Ap-cone sequential relaxation procedure for 0-1 integer programs. Optimization Methods and 2.4 ..... 8 ..... 30
Software, 2009, 24, 523-548.2.4273
On the copositive representation of binary and co
Mathematical Programming, 2009, 120, 479-495.Globally solving box-constrained nonconvex quadratic programs with semidefinite-based finite1.658branch-and-bound. Computational Optimization and Applications, 2009, 43, 181-195.

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Solving maximum-entropy sampling problems using factored masks. Mathematical Programming, 2007,
109, 263-281.
37 Solving Lift-and-Project Relaxations of Binary Integer Programs. SIAM Journal on Optimization, 2006,
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Computational enhancements in low-rank semidefinite programming. Optimization Methods and Software, 2006, 21, 493-512.
39 Local Minima and Convergence in Low-Rank Semidefinite Programming. Mathematical Programming, $2005,103,427-444$.

40 D.C. Versus Copositive Bounds for Standard QP. Journal of Global Optimization, 2005, 33, 299-312. 20

| 41 | A nonlinear programming algorithm for solving semidefinite programs via low-rank factorization. Mathematical Programming, 2003, 95, 329-357. | 2.4 | 444 |
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| 42 | A computational study of a gradient-based log-barrier algorithm for a class of large-scale SDPs. Mathematical Programming, 2003, 95, 359-379. | 2.4 | 27 |
| 43 | Semidefinite Programming in the Space of Partial Positive Semidefinite Matrices. SIAM Journal on Optimization, 2003, 14, 139-172. | 2.0 | 31 |
| 44 | A General Framework for Establishing Polynomial Convergence of Long-Step Methods for Semidefinite Programming. Optimization Methods and Software, 2003, 18, 1-38. | 2.4 | 2 |
| 45 | Rank-Two Relaxation Heuristics for MAX-CUT and Other Binary Quadratic Programs. SIAM Journal on Optimization, 2002, 12, 503-521. | 2.0 | 147 |
| 46 | Maximum stable set formulations and heuristics based on continuous optimization. Mathematical Programming, 2002, 94, 137-166. | 2.4 | 44 |
| 47 | Solving a class of semidefinite programs via nonlinear programming. Mathematical Programming, 2002, 93, 97-122. | 2.4 | 37 |
| 48 | Interior-Point Algorithms for Semidefinite Programming Based on a Nonlinear Formulation. Computational Optimization and Applications, 2002, 22, 49-79. | 1.6 | 11 |
| 49 | A projected gradient algorithm for solving the maxcut SDP relaxation. Optimization Methods and Software, 2001, 15, 175-200. | 2.4 | 53 |

