

Li Xiao

List of Publications by Year in descending order

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Version: 2024-02-01

36
papers

446
citations

687363

13
h-index

794594

19
g-index

36
all docs

36
docs citations

36
times ranked

290
citing authors

#	ARTICLE	IF	CITATIONS
1	Brain Functional Connectivity Analysis via Graphical Deep Learning. IEEE Transactions on Biomedical Engineering, 2022, 69, 1696-1706.	4.2	5
2	Distance Correlation-Based Brain Functional Connectivity Estimation and Non-Convex Multi-Task Learning for Developmental fMRI Studies. IEEE Transactions on Biomedical Engineering, 2022, 69, 3039-3050.	4.2	5
3	Multi-Modal Imaging Genetics Data Fusion via a Hypergraph-Based Manifold Regularization: Application to Schizophrenia Study. IEEE Transactions on Medical Imaging, 2022, 41, 2263-2272.	8.9	10
4	Functional connectomes incorporating phase synchronization for the characterization and prediction of individual differences. Journal of Neuroscience Methods, 2022, 372, 109539.	2.5	0
5	Correlation Guided Graph Learning to Estimate Functional Connectivity Patterns From fMRI Data. IEEE Transactions on Biomedical Engineering, 2021, 68, 1154-1165.	4.2	5
6	Multi-Paradigm fMRI Fusion via Sparse Tensor Decomposition in Brain Functional Connectivity Study. IEEE Journal of Biomedical and Health Informatics, 2021, 25, 1712-1723.	6.3	7
7	Functional network estimation using multigraph learning with application to brain maturation study. Human Brain Mapping, 2021, 42, 2880-2892.	3.6	3
8	Functional connectome fingerprinting: Identifying individuals and predicting cognitive functions via autoencoder. Human Brain Mapping, 2021, 42, 2691-2705.	3.6	23
9	Multiview Diffusion Map Improves Prediction of Fluid Intelligence With Two Paradigms of fMRI Analysis. IEEE Transactions on Biomedical Engineering, 2021, 68, 2529-2539.	4.2	11
10	A deep autoencoder with sparse and graph Laplacian regularization for characterizing dynamic functional connectivity during brain development. Neurocomputing, 2021, 456, 97-108.	5.9	6
11	Ensemble Manifold Regularized Multi-Modal Graph Convolutional Network for Cognitive Ability Prediction. IEEE Transactions on Biomedical Engineering, 2021, 68, 3564-3573.	4.2	20
12	A Manifold Regularized Multi-Task Learning Model for IQ Prediction From Two fMRI Paradigms. IEEE Transactions on Biomedical Engineering, 2020, 67, 796-806.	4.2	27
13	Multi-Hypergraph Learning-Based Brain Functional Connectivity Analysis in fMRI Data. IEEE Transactions on Medical Imaging, 2020, 39, 1746-1758.	8.9	36
14	Exact and Robust Reconstructions of Integer Vectors Based on Multidimensional Chinese Remainder Theorem (MD-CRT). IEEE Transactions on Signal Processing, 2020, 68, 5349-5364.	5.3	7
15	Causality-Based Feature Fusion for Brain Neuro-Developmental Analysis. IEEE Transactions on Medical Imaging, 2020, 39, 3290-3299.	8.9	4
16	Examining brain maturation during adolescence using graph Laplacian learning based Fourier transform. Journal of Neuroscience Methods, 2020, 338, 108649.	2.5	5
17	A hypergraph learning method for brain functional connectivity network construction from fMRI data. , 2020, , .		4
18	A graph deep learning model for the classification of groups with different IQ using resting state fMRI. , 2020, , .		3

#	ARTICLE	IF	CITATIONS
19	Scalable antinoise-robustness estimation of frequency and direction of arrival based on the relaxed sparse array. <i>Multidimensional Systems and Signal Processing</i> , 2019, 30, 1345-1361.	2.6	2
20	Uncertainty principles associated with the offset linear canonical transform. <i>Mathematical Methods in the Applied Sciences</i> , 2019, 42, 466-474.	2.3	19
21	Alternating Diffusion Map Based Fusion of Multimodal Brain Connectivity Networks for IQ Prediction. <i>IEEE Transactions on Biomedical Engineering</i> , 2019, 66, 2140-2151.	4.2	25
22	Radial Velocity Retrieval for Multichannel SAR Moving Targets With Time-Space Doppler Deambiguity. <i>IEEE Transactions on Geoscience and Remote Sensing</i> , 2018, 56, 35-48.	6.3	26
23	Frequency determination from truly sub-Nyquist samplers based on robust Chinese remainder theorem. <i>Signal Processing</i> , 2018, 150, 248-258.	3.7	27
24	Robust Polynomial Reconstruction via Chinese Remainder Theorem in the Presence of Small Degree Residue Errors. <i>IEEE Transactions on Circuits and Systems II: Express Briefs</i> , 2018, 65, 1778-1782.	3.0	6
25	New Conditions on Stable Recovery of Weighted Sparse Signals via Weighted ℓ_1 Minimization. <i>Circuits, Systems, and Signal Processing</i> , 2018, 37, 2866-2883.	2.0	3
26	Minimum Degree-Weighted Distance Decoding for Polynomial Residue Codes With Non-Coprime Moduli. <i>IEEE Wireless Communications Letters</i> , 2017, 6, 558-561.	5.0	4
27	Towards Robustness in Residue Number Systems. <i>IEEE Transactions on Signal Processing</i> , 2017, 65, 1497-1510.	5.3	26
28	Co-prime Sensing-Based Frequency Estimation Using Reduced Single-Tone Snapshots. <i>Circuits, Systems, and Signal Processing</i> , 2016, 35, 3355-3366.	2.0	3
29	Error Correction in Polynomial Remainder Codes With Non-Pairwise Coprime Moduli and Robust Chinese Remainder Theorem for Polynomials. <i>IEEE Transactions on Communications</i> , 2015, 63, 605-616.	7.8	14
30	A new robust Chinese remainder theorem with improved performance in frequency estimation from undersampled waveforms. <i>Signal Processing</i> , 2015, 117, 242-246.	3.7	11
31	A robust Chinese Remainder Theorem with applications in error correction coding. , 2015, , .		0
32	New Conditions on Achieving the Maximal Possible Dynamic Range for a Generalized Chinese Remainder Theorem of Multiple Integers. <i>IEEE Signal Processing Letters</i> , 2015, 22, 2199-2203.	3.6	8
33	A Generalized Chinese Remainder Theorem for Two Integers. <i>IEEE Signal Processing Letters</i> , 2014, 21, 55-59.	3.6	13
34	Multi-Stage Robust Chinese Remainder Theorem. <i>IEEE Transactions on Signal Processing</i> , 2014, 62, 4772-4785.	5.3	48
35	Sampling theorems for signals periodic in the linear canonical transform domain. <i>Optics Communications</i> , 2013, 290, 14-18.	2.1	30
36	Multivariate Dynamical Sampling in and Shift-Invariant Spaces Associated with Linear Canonical Transform. <i>Numerical Functional Analysis and Optimization</i> , 0, , 1-17.	1.4	0